Module 8

# STEPPING STONES 20

# Core Focus

- Division: Partial-quotients strategy (two-, three-, and four-digit dividends)
- · Common fractions: Multiplicative nature (area and number line models)
- Common fractions: Multiplying mixed numbers

# Division

• The **array** model helps students review the concept of division. Students are given the total in the array, but can only see the number of rows, or the number in one row. This demonstrates the idea of a missing factor, and shows that most arrays have two related multiplication equations, and two related division equations.

| 8.1 Division: Reviewing the relationship between r<br>and division  | nultiplication             |
|---|----------------------------|
| Step In     What do you know about this rectangle?     5 ft       How can you calculate the length of the rectangle?     5 ft       Write two equations you could use to help you.     5 ft | Area is 45 ft <sup>2</sup> |
| x = + =   What do you know about this square?   |                            |
| What thinking would you use to calculate the length<br>of the unknown side?<br>?<br>What equations  | Area is 36 m²              |
| could you write?  | 6 m                        |

In this lesson, students calculate the length of the unknown side.

- Students extend their skill with division by building on what they know about the relationship between multiplication and division. Just like multiplication, division can be represented using a rectangular area model.
- In the problem below, students use what they know about the area model formula  $(L \times W = A)$  to split the total area (63) into parts that can easily be divided (60 + 3) by the known W dimension (3) to find the missing L dimension (21).



In this lesson, area models are used to split two-digit dividends into parts that are easily divisible by one-digit divisors.

# Ideas for Home

Take turns practicing mental division problems while traveling or walking. Use multiples of the divisor to come up with problems like 336 ÷ 3. This problem can be mentally decomposed to become 300 ÷ 3 and 36 ÷ 3, which equals 100 + 12, which equals 112. Try 245 ÷ 5, 648 ÷ 6, 819 ÷ 9, 444 ÷ 4, 396 ÷ 3, etc.

# Glossary

 A partially covered array shows the total and either the number of rows or the number in each row to represent division.





- The dividend is the number that is split into smaller equal parts when division is performed.
- The divisor is the number that indicates how many parts the dividend is to be split into, or the number in each part.
- The quotient is the missing information in a division problem (the answer).

) Module 8

 All the lessons build on this of idea of partitioning to make division easier, even when the numbers in a division problem are three or four digits. The key is to choose convenient ways to do the partitioning, so the division becomes easy to perform.



In this lesson, area models are used to break three-digit dividends into parts that are easily divisible by one-digit divisors.

#### **Common fractions**

• Students explore how to multiply when the number of groups is a whole amount and the number in each group is a fractional amount. They consider what happens to the numerators and denominators of **fractions** when multiplying. An area model is used to represent the situations.

| 8.9 Comr<br>(area | mon fractions: Exploring t<br>model)   | he multiplicative nat   | ure    |
|-------------------|--|---|--------|
| Step In           | Three friends share one pizza t<br>If they each eat one slice of piz   | hat is cut into eighths.<br>za, how much pizza will be  | eaten? |
| How could vo      | u fiaure it out?   |   |        |
| 00                | There are three people<br>and they have $\frac{1}{8}$ of<br>the pizza each. That is<br>equivalent to $\frac{1}{8} + \frac{1}{8} + \frac{1}{8}$ . | Another way to<br>show this repeated<br>addition is to use<br>multiplication.<br>$3 \times \frac{1}{8}$ |        |

In this lesson, students multiply fractions.

• Students also use area models to reinforce multiplying whole numbers by **mixed numbers** in parts.

| 8.12 Common fractions: Multiplying (with composing)   | mixed numbers   |
|---|---|
| Step In     Victoriq is painting a wall that is and 5 $\frac{1}{4c}$ feet long.       What is the area of the wall? How could you figur     Jayden drew this picture to help him figure it out What numbers should you write below to match here is a should you write below to match here is a should be write to help him figure it out what numbers should you write below to match here is a should be write to help him figure it out what numbers when the is the value of each partial product?       What is the value of each partial product of 7 and What is the area of the wall? | 7 feet high<br>e it out?<br>his picture?<br>7<br>1<br>1<br>5<br>1<br>4<br>7 |

In this lesson, students multiply whole numbers and mixed numbers.

# STEPPING STONES 20

# Ideas for Home

 Find recipes that have fractions in the ingredients list. Discuss how you could figure out the amount needed if you need to make multiple batches.

# Glossary

 Fractions describe equal parts of a whole. In this example of a common fraction, 2 is the numerator and 3 is the denominator.



 A mixed number is a whole number and a common fraction added together and written as a single number without the addition symbol.